



Bit Plane

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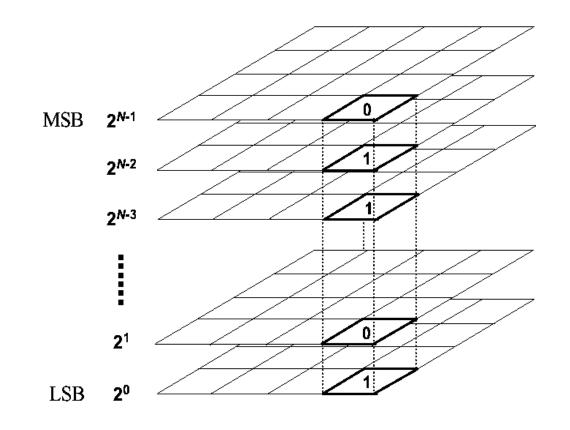




Bit-plane

An image with a color depth of N bits can be represented by N bit planes (bit-planes), each of which can be viewed as a single binary image.

In particular, an order ranging from Most Significant Bit (MSB) to Least Significant Bit (LSB) can be induced.

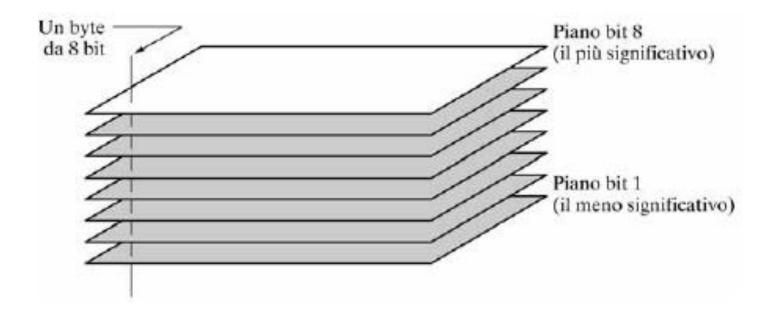






Bit-plane - Definition

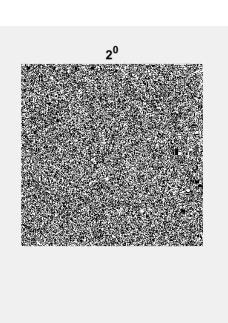
The bit plane of an N-bit digital image, is a set of N binary images (planes), in which the i-th image contains the values of the i-th bit of the chosen encoding.

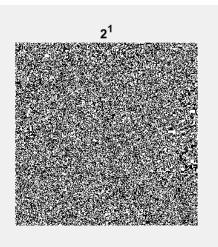


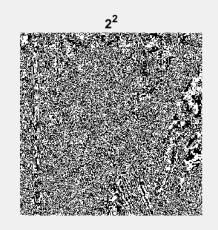


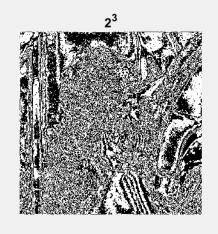


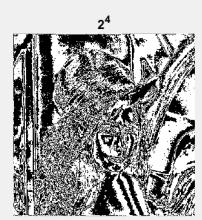
Lena's Bit plane













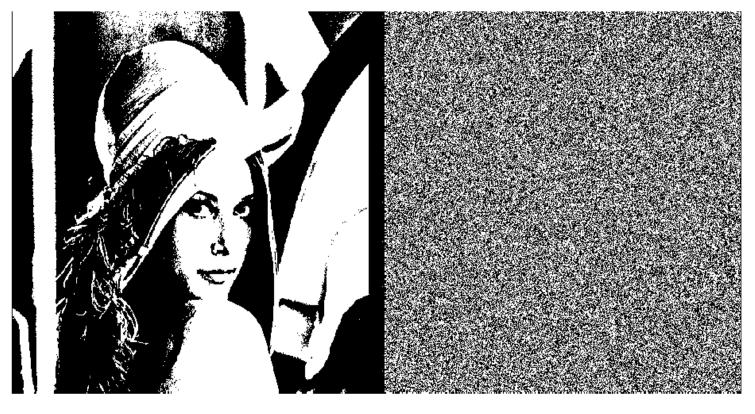








Bit-planes - binary encoding



Most Significant bit (MSB)

Least Significant bit (LSB)





Bit-planes: Osservazioni

The more significant bit planes contain information about the structure of the image,
 while the progressively less significant bit planes provide the increasingly smaller details.

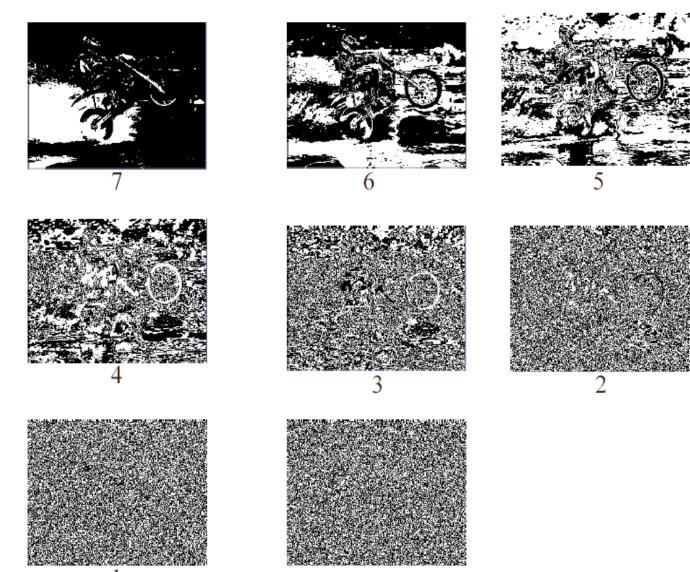
Note that only planes 7 through 3 contain visually significant data.

Image noise and acquisition errors are most evident in the lower planes.





Bit-planes







Uses of bit-planes

This kind of decomposition is very useful for removing all values within a certain range.

For example, if one wants to remove all grays between 32 and 64, it is necessary to set the fifth bit to 0, and thus all of plane 5.





Bit-plane - Example

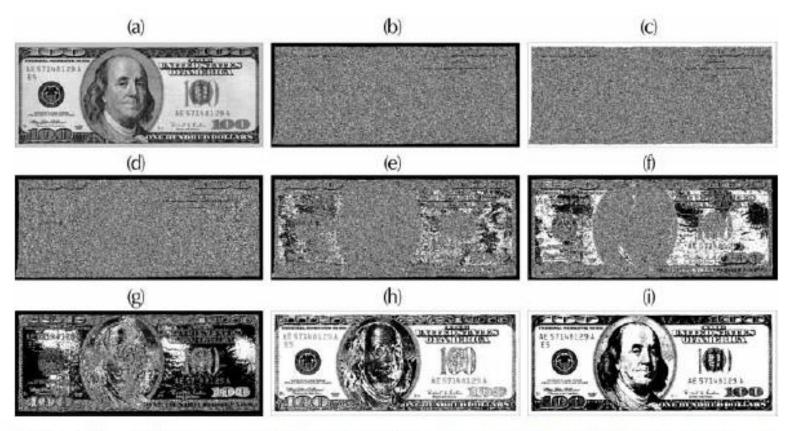


Figura 3.14 (a) Immagine a 8 bit in scala di grigio di 500×1192 pixel. Da (b) a (i) i piani di bit da 1 a 8; il piano 1 corrispondente al bit meno significativo. Ogni piano è un'immagine binaria.





Bit-plane binario puro - Esempio



Figura 3.15 Immagini ricostruite usando (a) i piani di bit 8 e 7; (b) i piani di bit 8, 7 e 6; (c) i piani di bit 8, 7, 6 e 5. Si confronti (c) con la Figura 3.14a.





Reconstruction without a bit plan























Bit-Plane - Problem

If the encoding used is pure binary, then a disadvantage becomes apparent: a small variation can affect all planes.

Example: If a pixel has, for example, intensity 127 (011111111) and its neighbor has intensity 128 (10000000) then the transition between 0 and 1 affects all bit planes.

You need a code in which very close values have very similar binary encodings!



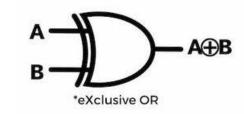


Solution - Code Gray

The m-bit Gray code $g_{m-1}\dots g_1g_0$ which corresponds to the number in pure binary $a_{m-1}\dots a_1a_0$ can be calculated by the formula

$$g_i = a_i \oplus a_{i+1} \qquad 0 \le i \le m-2$$
$$g_{m-1} = a_{m-1}$$

where \bigoplus denotes the XOR (exclusive OR) operator.



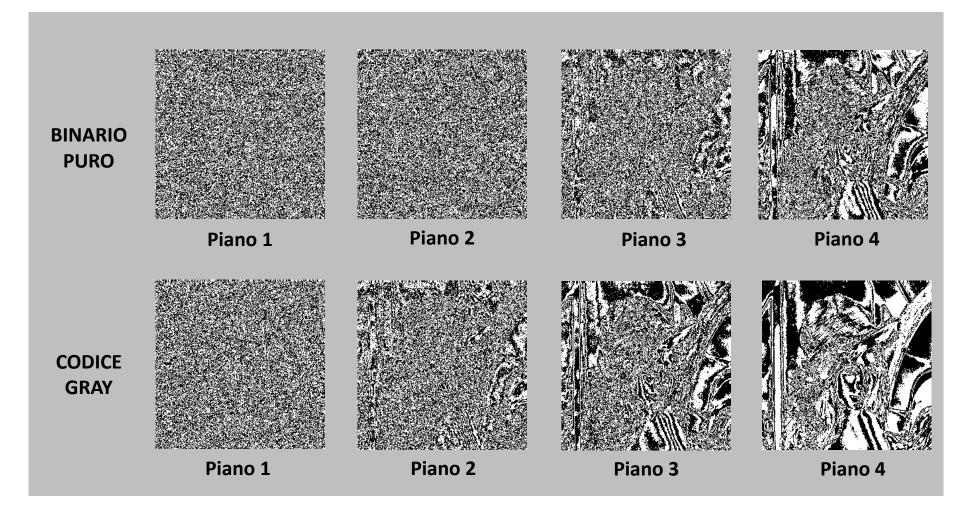
A	В	A⊕B
0	0	0
0	1	1
1	0	1
1	1	0

2 input XOR gate

Gray code enjoys the property that each codeword differs from the previous one by only one bit.

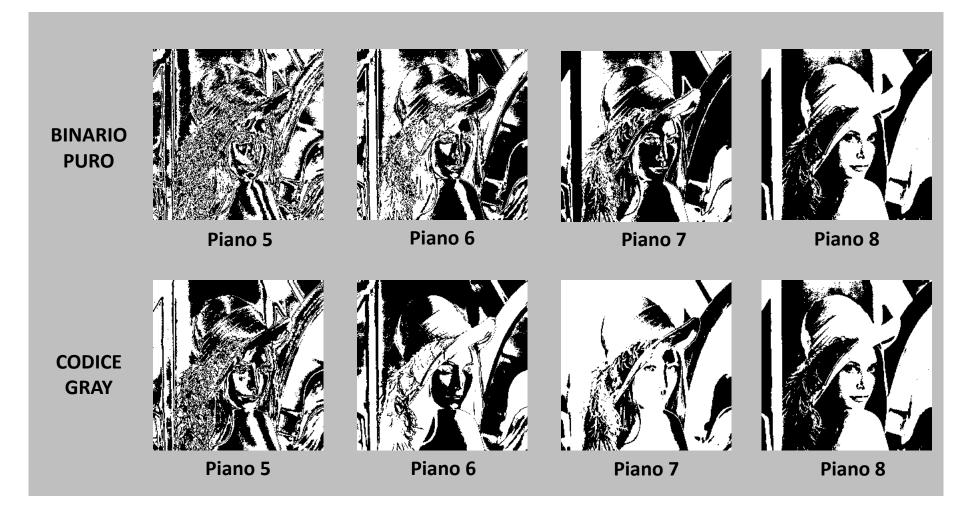
















- As can be seen in the above example, depending on the encoding the bit-planes show differences.
- In particular, the bit-planes of Gray-coded images turn out to be more "consistent" with each other when compared with their respective ones in pure binary. In fact, if I increase the pixel intensity by 1 only one bit (i.e., only one plane) will vary.
- In addition, the number of black-white transitions in the single plane (descriptive complexity) are lower if Gray code is used (e.g., compare Lena's hair between planes 6).
- These features indicate lower entropy (higher redundancy) if Gray code is used. This means that it becomes easier to compress from such coded images.





WARNING.

- Since the meaning associated with bits is different between the two encodings, some properties of one do not apply to the other!
- If you reset bit planes in Gray code, you eliminate different (and less significant) ranges of values than in pure binary.
- Although details and noise will tend to be concentrated in the lower planes even with Gray code, directly eliminating such planes could introduce unwanted artifacts.



